

<b>Academic subject: DIFFERENTIAL GEOMETRY</b>			
<b>Degree Class:</b> L-35-Scienze Matematiche		<b>Degree Course:</b> Mathematics	
		<b>Academic Year:</b> 2020/21	
		<b>Kind of class:</b> Optional	
		<b>Year:</b> 3	<b>Period:</b> 2
		<b>ECTS:</b> 7 divided into <b>ECTS lessons:</b> 6,5 <b>ECTS exe/lab/tutor:</b> 0,5	
<b>Time management, hours, in-class study hours, out-of-class study hours</b> lesson: 52    exe/lab/tutor: 8    in-class study: 60    out-of-class study: 115			
<b>Language:</b> Italian		<b>Compulsory Attendance:</b> no	
<b>Subject Teacher:</b> Verroca Francesca		<b>Tel:</b> 085442694 <b>e-mail:</b> francesca.verroca@uniba.it	
		<b>Office:</b> Department of Mathematics Room 19, Floor III	
		<b>Office days and hours:</b> Wednesday 11-13, other days by appointment.	
<b>Prerequisites:</b> Basic knowledge of abstract algebra and linear algebra. Differential calculus			
<b>Educational objectives:</b> Knowledge of the basic notions of Differential Geometry of curves and surfaces			
<b>Expected learning outcomes (according to Dublin Descriptors)</b>	<b>Knowledge and understanding:</b> Differential calculus of curves and surfaces		
	<b>Applying knowledge and understanding:</b> Improve ability in differential calculus of curves and surfaces using many examples		
	<b>Making judgements:</b> Ability to prove the properties regarding the program of the course		
	<b>Communication:</b> Students should learn to read books regarding the program of the course		
	<b>Lifelong learning skills:</b> Acquiring a study method by fundamental examples		
<b>Course program</b>			
Curves in $\mathbb{R}^n$ Basic definitions. The Frenet frame and the Frenet equations. Plane curves and space curves. Examples.			
Surfaces in $\mathbb{R}^3$ Basic definitions. The First and the Second Fundamental Form. Curves on surfaces. Principal curvatures, Gauss curvature and mean curvature. Normal form for a surface; special coordinates. Special surfaces. The Gauss and the Codazzi-Mainardi equations. Vector fields and covariant differentiation. Parallel translation. Geodesics. Surfaces of constant curvature. Significant examples.			
<b>Teaching methods:</b> Lectures and exercise sections			
<b>Auxiliary teaching:</b>			
<b>Assessment methods:</b> Oral exam			

**Bibliography:**

WILHELM KLINGENBERG

A course in Differential Geometry

Sprinter-Verlag New York Heidelberg Berlino 1978.