

Pubblicazioni di Giuseppe Maria Coclite

TESI

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- [2] G. M. Coclite. Control Problems for Systems of Conservation Laws. Ph.D. thesis, S.I.S.S.A.-Trieste (2003), supervisor: Prof. A. Bressan, opponent: Prof. J.-M. Coron.

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